

# Honors Trigonometry

Name \_\_\_\_\_

Copy original problem.

Per \_\_\_\_\_

Date \_\_\_\_\_

Convince *me* that **you** understand the concept!

## Chapter 5 Exam

All degree measurements are to be to nearest minute and length measurements to nearest hundredth.

**I** Solve for all missing parts of the given triangle ABC: State the area of each triangle. (15 pts ea)

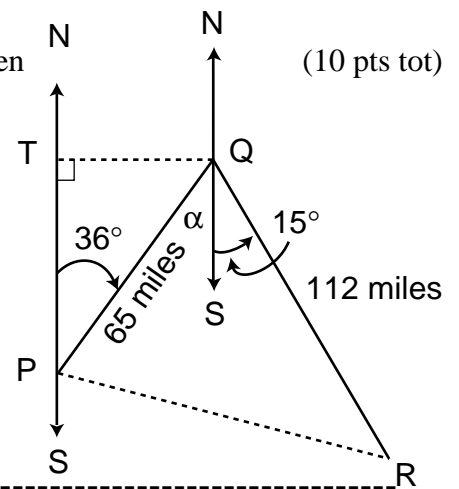
- |    |                     |    |                  |    |         |    |                  |
|----|---------------------|----|------------------|----|---------|----|------------------|
|    | $B = 67^{\circ}40'$ |    | $B = 60^{\circ}$ |    | $a = 8$ |    | $B = 30^{\circ}$ |
| A) | $a = 50$            | B) | $c = 8$          | C) | $b = 9$ | D) | $c = 10$         |
|    | $c = 70$            |    | $A = 30^{\circ}$ |    | $c = 5$ |    | $b = 8$          |

**II** State whether there are *none, one, or two or more* triangles from the given information. Include a picture and a brief statement supporting your conclusion. (5 pts ea)

- |    |                   |    |                  |    |                     |
|----|-------------------|----|------------------|----|---------------------|
|    | $A = 130^{\circ}$ |    | $A = 40^{\circ}$ |    | $A = 50^{\circ}$    |
| A) | $a = 40$          | B) | $a = 10$         | C) | $a = 6$             |
|    | $c = 60$          |    | $c = 10$         |    | $c = 10$            |
|    | $A = 30^{\circ}$  |    | $C = 30^{\circ}$ |    | $B = 95^{\circ}42'$ |
| D) | $a = 25$          | E) | $c = 5$          | F) | $c = 8$             |
|    | $c = 30$          |    | $b = 4$          |    | $A = 84^{\circ}18'$ |

**III** A ship leaves port, P, and travels 65 miles on a bearing of N36°E. It then changes course and sails 112 miles on a bearing of S15°E. (10 pts tot)

- A) What is angle  $\alpha$  ?
- B) What is the measure of angle PQR?
- C) How far is the ship from port at this point? (ie. find the length PR)



Extra Credit ----- 5 pts -----

Solve for  $\theta$  where  $0 \leq \theta < 360^{\circ}$        $\cot \theta = \tan(2\theta - 270^{\circ})$